Fig. 1A

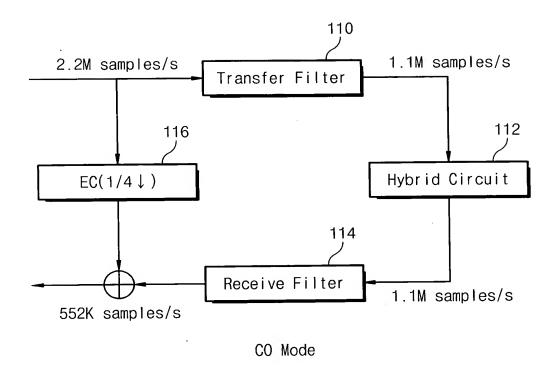
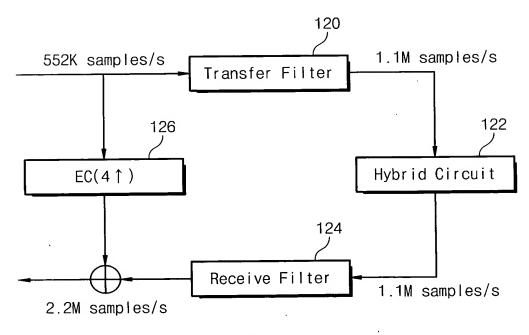


Fig. 1B



RT Mode

Fig. 2

$\begin{array}{llllllllllllllllllllllllllllllllllll$	$h(8)x(-2) + \cdots + h(248)x(-62) + h(252)x(-63)$ $h(9)x(-2) + \cdots + h(249)x(-62) + h(253)x(-63)$ $h(10)x(-2) + \cdots + h(250)x(-62) + h(254)x(-63)$ $h(11)x(-2) + \cdots + h(251)x(-62) + h(255)x(-63)$ $h(8)x(-1) + \cdots + h(248)x(-61) + h(252)x(-62)$ $h(9)x(-1) + \cdots + h(249)x(-61) + h(252)x(4n-63)$ $h(9)x(4n-2) + \cdots + h(249)x(4n-62) + h(253)x(4n-63)$ $h(10)x(4n-2) + \cdots + h(251)x(4n-62) + h(253)x(4n-63)$ $h(11)x(4n-2) + \cdots + h(251)x(4n-62) + h(255)x(4n-63)$ $h(11)x(4n-2) + \cdots + h(248)x(4n-61) + h(255)x(4n-62)$ $h(8)x(4n-1) + \cdots + h(249)x(4n-61) + h(253)x(4n-62)$
$y(0) = w(0) = \frac{h(0)x(0) + h(1)x(-1)}{y(1)}$ $y(1) = w(4) = h(0)x(4) + h(1)x(3)$ $y(2) = w(8) = h(0)x(8) + h(1)x(7)$ $y(3) = w(12) = h(0)x(12) + h(1)x(7)$ $y(n) = w(4n) = \frac{h(0)x(4n) + h(1)x(4n-1)}{y(n+1)}$ $y(n+1) = w(4n+4) = h(0)x(4n+4) + h(1)x(4n+3)$ $y(n+2) = w(4n+4) = h(0)x(4n+8) + h(1)x(4n+7)$ $y(n+3) = w(4n+12) = h(0)x(4n+8) + h(1)x(4n+7)$	y(0) = h(0)x(0) + h(4)x(-1) + h(3)x(-1) + h(5)x(-1) + h(5)x(-1) + h(5)x(-1) + h(5)x(-1) + h(3)x(0) + h(6)x(-1) + h(3)x(0) + h(7)x(-1) +
	·

Fig. 3

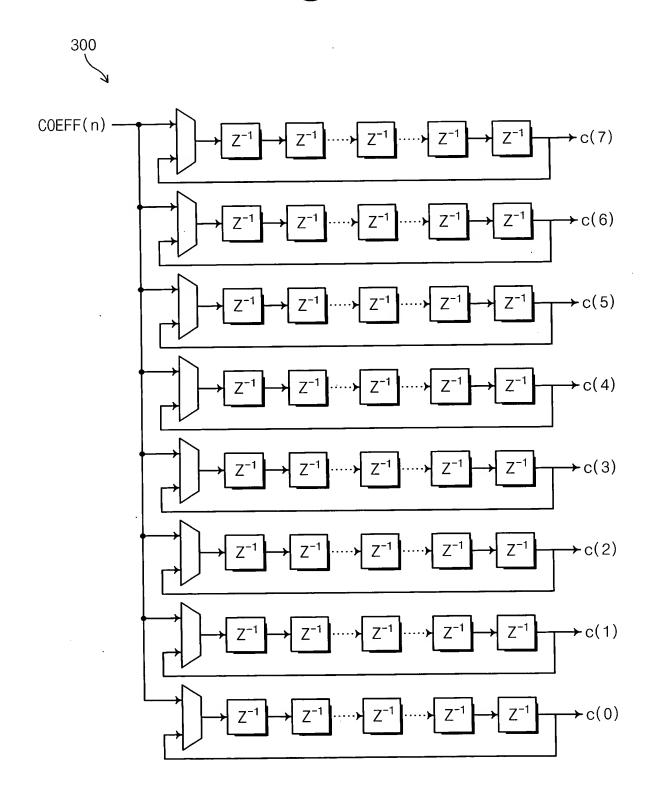


Fig. 4A

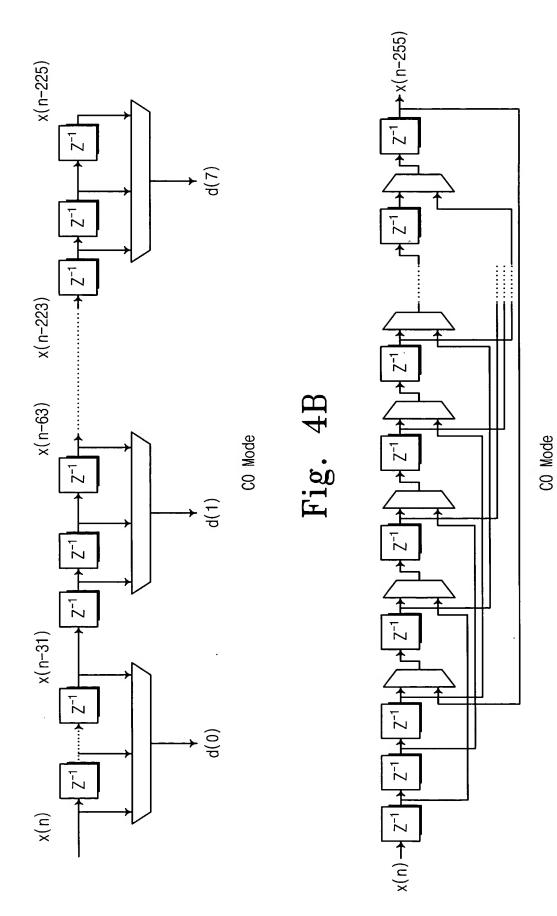
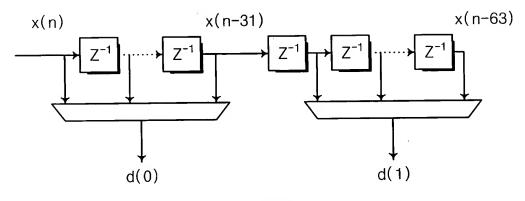
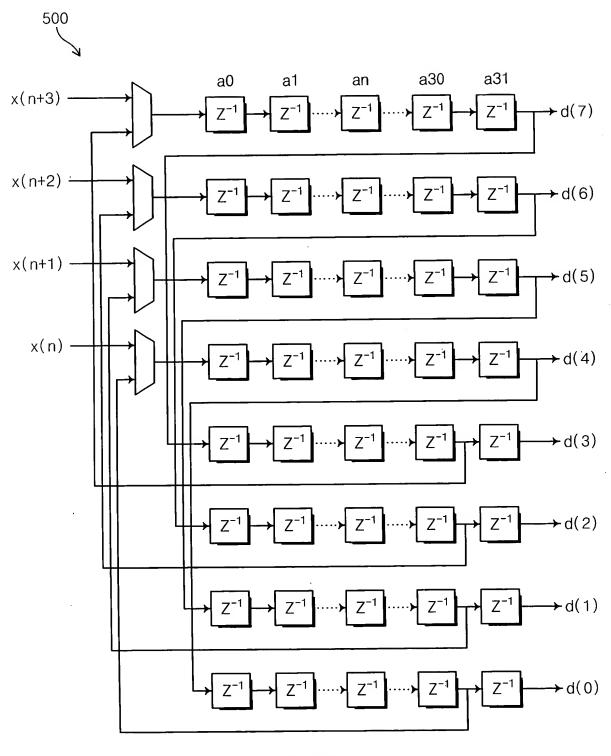


Fig. 4C



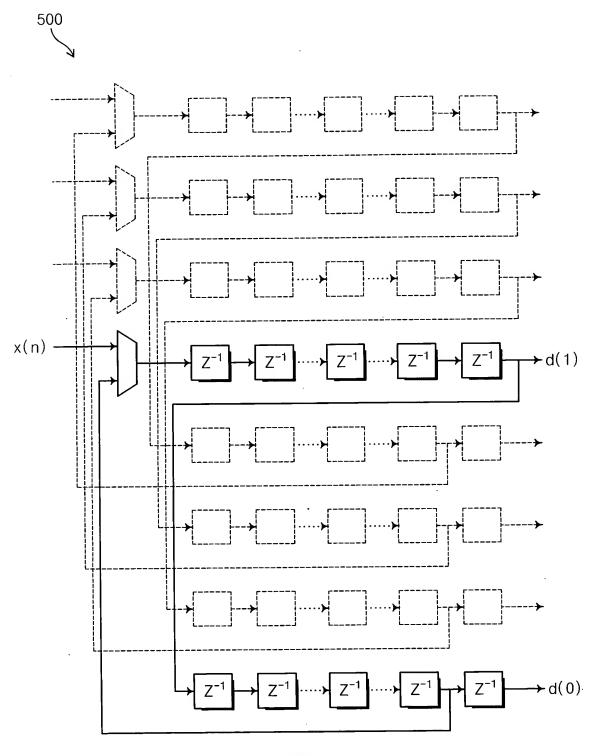
RT Mode

Fig. 5A



CO Mode

Fig. 5B



RT Mode

Fig. 6

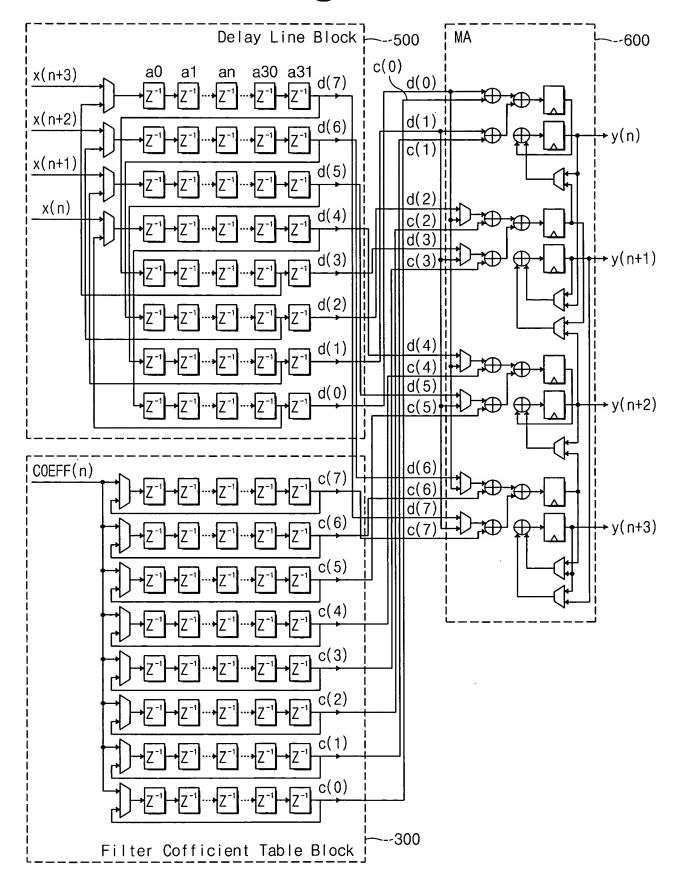


Fig. 7A

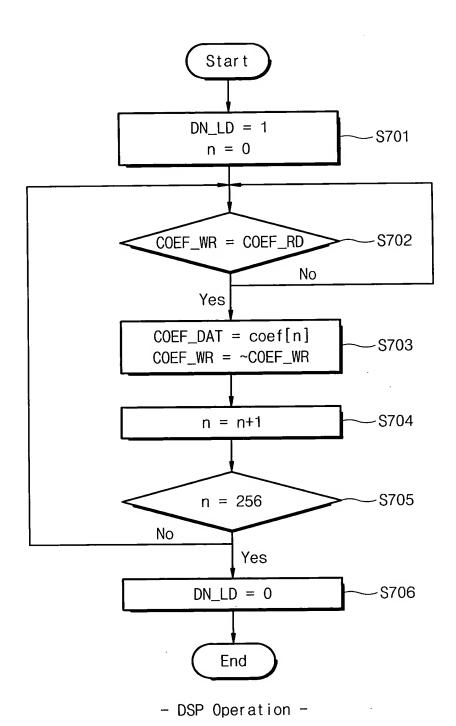
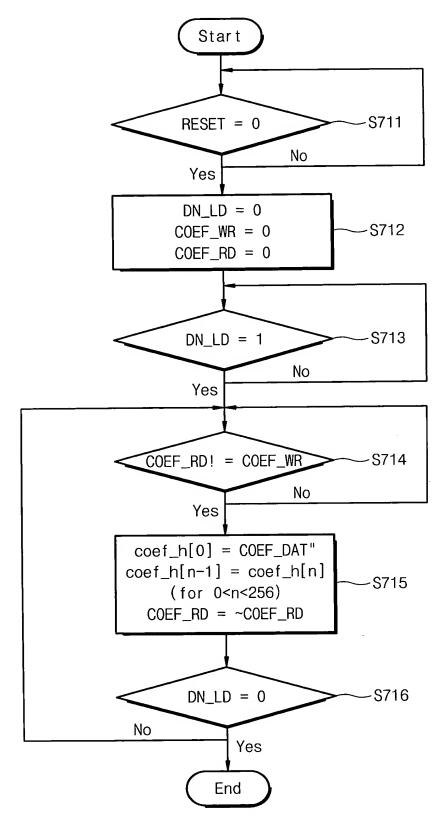
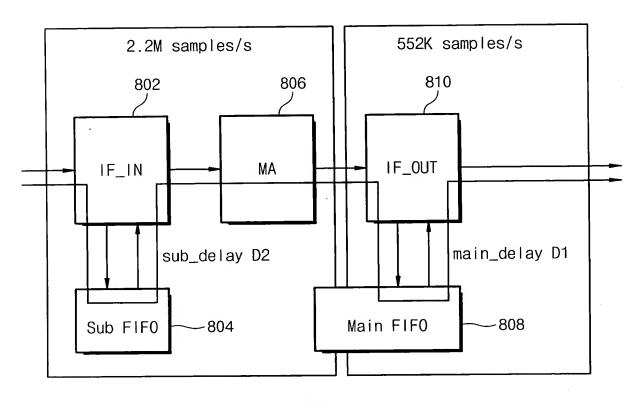


Fig. 7B



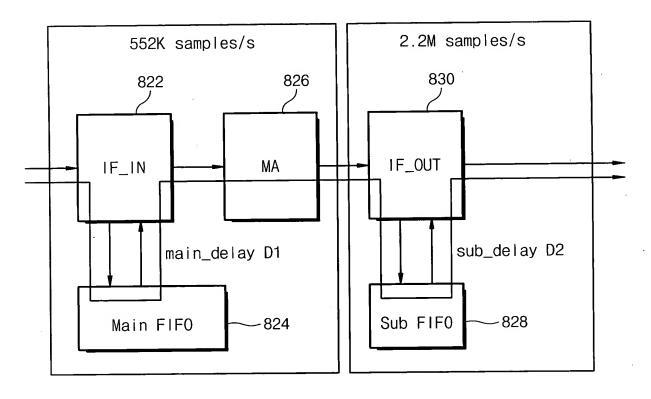
- EC H/W Operation -

Fig. 8A



CO Mode

Fig. 8B



RT Mode